CH.7 Review WS #1 Name_____

Per.

1) Let R be the enclosed region between the graph of f and the x-axis on the given interval.

 $f(x) = \sqrt{2x^2 + 3}$; [1,2] (Show work)

- *a*) Find the volume V of the solid obtained by revolving R about the *x*-axis.
- *b*) Find the volume V of the solid generated by revolving R about the *y*-axis.

2) Find the area between graphs on interval. (Show work)

 $f(x) = x \qquad g(x) = \sqrt{x} \qquad [0,4]$



b) Find Area using horizontal cross sections

- 3) Given the above region R between the graph of $f(x) = \sqrt{x}$ and g(x) = 3. (Set up and use your calculator)
- *a*) Find Area using vertical cross sections

Find the volume of the solid whose base is the region between f(x) and g(x) and whose cross sections cut by planes perpendicular to the y-axis are :

c) squares d) rectangle (height= $10 \cdot base$) e) equilateral triangles



Set up the volume of the solid whose base is the shaded region and whose cross sections cut by planes perpendicular to the *x* - axis are :

i) squares *j*) rectangle (h = 10 - x) *k*) semicircles

 $y=\sqrt{4x}$

R

0

 $y=x^2$

5) Let R be the enclosed region between the graph of $f(x) = \sqrt{4x}$ and $g(x) = x^2$.

(Set up and use calculator)

a) Find the volume V of the solid obtained by revolving R about the line y = -7.

b) Find the volume V of the solid obtained by revolving R about the line x = 10.

c) Find the volume V of the solid obtained by revolving R about the line y = 20.

Find the volume V of the solid whose base is the region between f(x) and the g(x) and whose cross sections cut by planes perpendicular to the *x*-axis are :

d) semicircles *e*) equilateral triangles