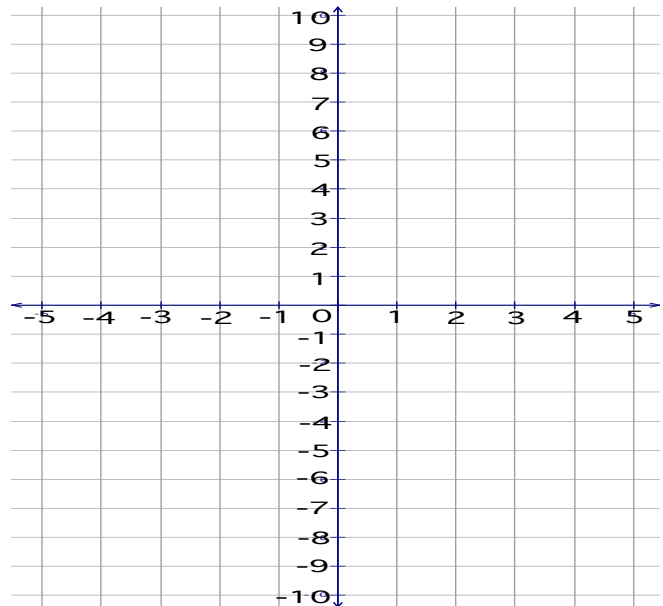


**Calculus CH.3 Review #2**    **Name:** \_\_\_\_\_    **Per:** \_\_\_\_\_

Note all relevant properties of  $f$  and sketch the graph (Label the maximum, minimum and inflection points)

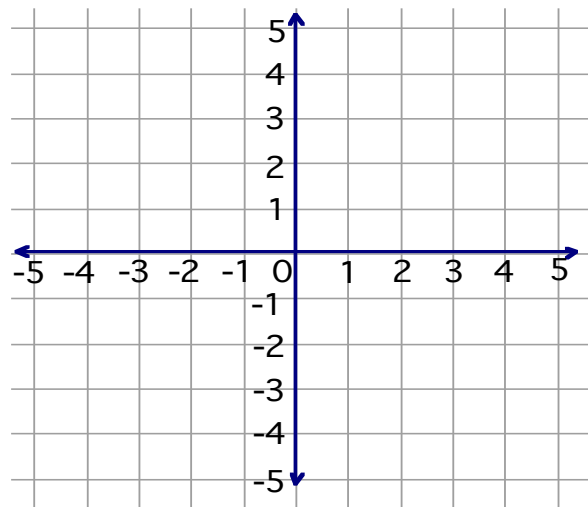
1)  $f(x) = 6x^2 - x^4$

x-int    y-int    v.asym.    h.asym.    rel.max.    rel.min.    inc.    dec.    inf.pts.    conc.up    conc.down



**Sketch each graph (Label the maximum, minimum and inflection points)**

2) <u>x-int</u>	<u>y-int</u>	<u>v.asym.</u>	<u>h.asym.</u>
$x = -5, 0, 5$	$(0, 0)$	none	none
<u>rel.max.</u>	<u>rel.min.</u>	<u>inc.</u>	<u>dec.</u>
$(4, 5)$	$(-4, -5)$	$(-4, 4)$	$(-\infty, -4)$ $(4, \infty)$
<u>inf.pts.</u>	<u>conc.up</u>	<u>conc.down</u>	
$(-2, -2)$	$(-\infty, -2)$	$(-2, 0)$	
$(0, 0)$	$(0, 2)$	$(2, \infty)$	
$(2, 2)$			

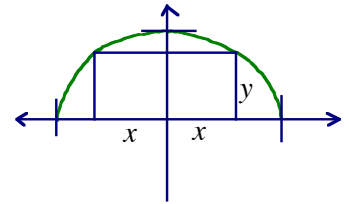


3) If  $f(x) = 2x^3 - 5x^2 + 8$ , and  $x_1 = 2$ . Use Newton's Method to find the third approximation  $x_3$ .

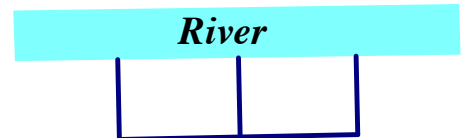
4) A rectangle is bounded by the  $x$ -axis and the equation  $y = \sqrt{200 - x^2}$ .

a) What length and width should the region be so that its area is a maximum? \_\_\_\_\_

b) What is the area? \_\_\_\_\_



5) A farmer plans to fence two rectangular pastures adjacent to a river. The farmer needs an enclosure that has an area of  $800\text{ft}^2$ . What dimensions should be used so that the farmer uses the least amount of fence? \_\_\_\_\_ How much fence is needed? \_\_\_\_\_



6) A crate open at the top has vertical sides, a square bottom, and a surface area of  $192\text{ m}^2$ .

a) Find the dimensions that give the crate maximum volume. \_\_\_\_\_

b) What is the maximum volume? \_\_\_\_\_

